

## PROBLEM-SOLVING TACTICS

- (a) One should always isolate the known and unknown quantities and write equations and solve them.
- (b) The next step would be to find out a way from unknown to known quantities and write equations and solve them.
- (c) One should always be very careful in doing so to avoid silly mistakes such as unit change of parameter.
- (d) Energy is scalar in nature. However, get a clear idea of what is being gained or lost by which entity.
- (e) Physical visualization of any problem will always help in increasing confidence in solving equations pertaining to the same.
- (f) Further, problems involving integration would be easy to understand if you go event by event and then solve.
- (g) Special cases and boundary conditions of circular motion are definitely recommended to be mastered because many problems break down to these special cases just after few manipulations.

## FORMULAE SHEET

S. NO.	DESCRIPTION	FORMULA
1	Kinetic energy of the particle	$K(v) = \frac{1}{2}mv^2 = \frac{1}{2}m\vec{v} \cdot \vec{v}$
2	Work done by force F	$W = \vec{F} \cdot \vec{r}$ (here $\vec{r}$ is total displacement)
3	Work done by variable force	$w = \int \vec{F} \cdot d\vec{r}$
4	Power generated by force F acting on body	$P = \frac{dW}{dt} = \vec{F} \cdot \frac{d\vec{r}}{dt} = \vec{F} \cdot \vec{v}$
5	Increase in Kinetic Energy = Decrease in Potential Energy	$KE = -\Delta U$
6	Energy conservation principle	$\Delta K + \Delta U = 0; \frac{1}{2}mv^2 = mgh$ or, $v = \sqrt{2gh}$
7	For a Spring work done W	$W = \int_{x_1}^{x_2} -kx \, dx = \frac{1}{2}k(x_1^2 - x_2^2)$
8	Work-Energy principle	$W_{\text{net}} = \Delta KE = K_f - K_i$
9	Work done by variable forces in short range	For $\vec{F} = \vec{F}_1 + \vec{F}_2 + \dots$ $W = \int \vec{F} \cdot d\vec{r} = \int (\vec{F}_1 + \vec{F}_2 + \dots) \cdot d\vec{r}$
10	For conservative forces, change in potential energy	$U_f - U_i = -\int_{r_i}^{r_f} \vec{F} \cdot d\vec{r}$
11	Elastic Potential Energy	$U = \frac{1}{2}kx^2$