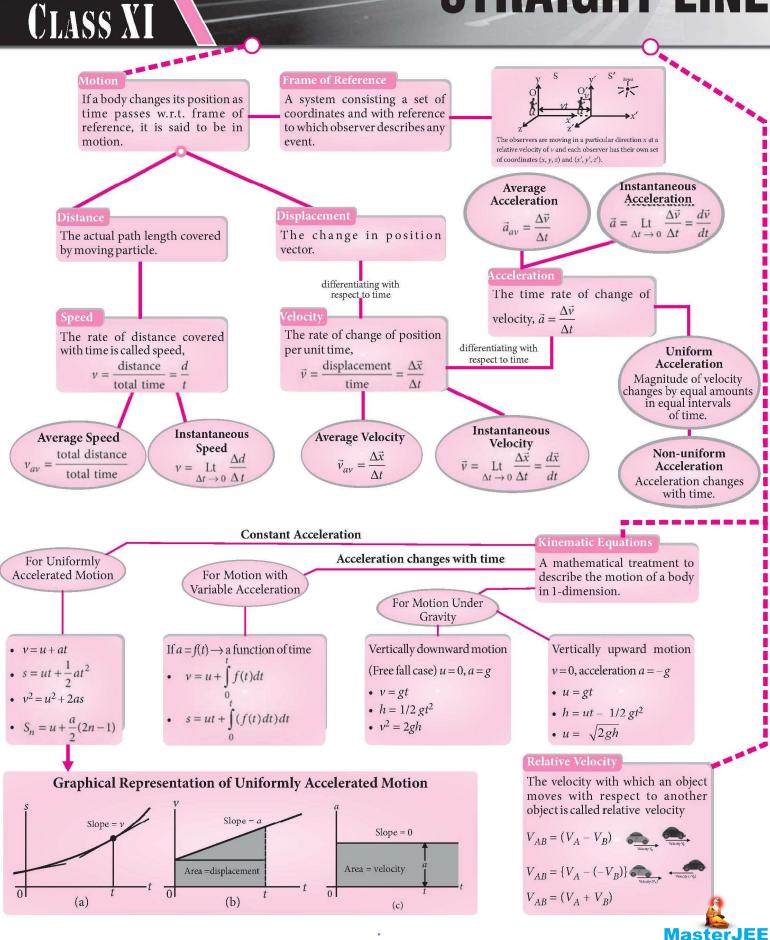


# MOTION IN A STRAIGHT LIN



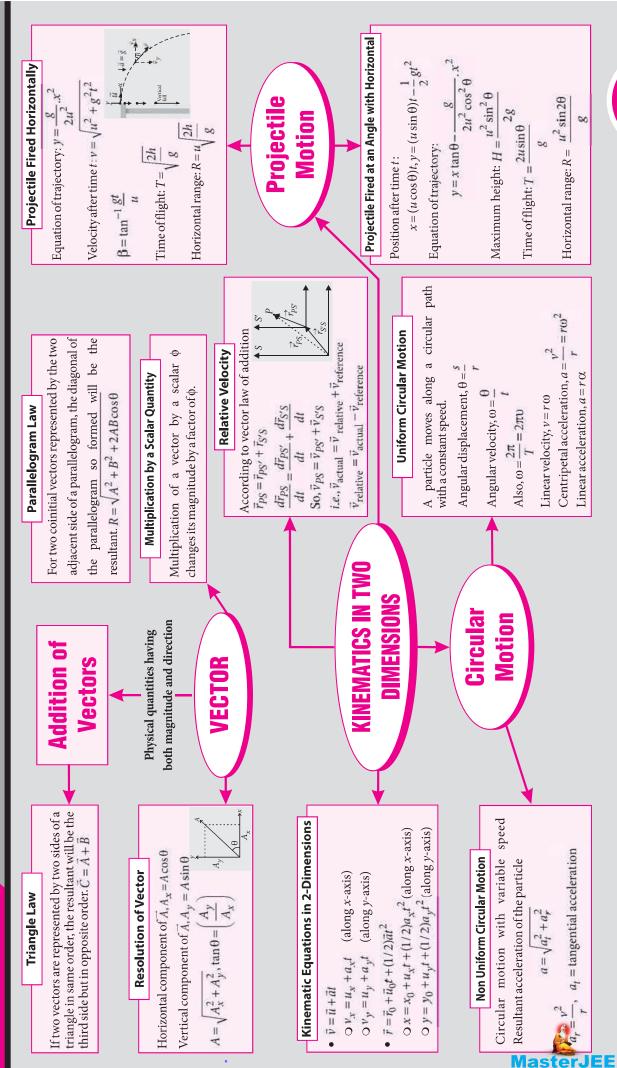
**BRAIN** 

MAP



# **MOTION IN A PLANE**

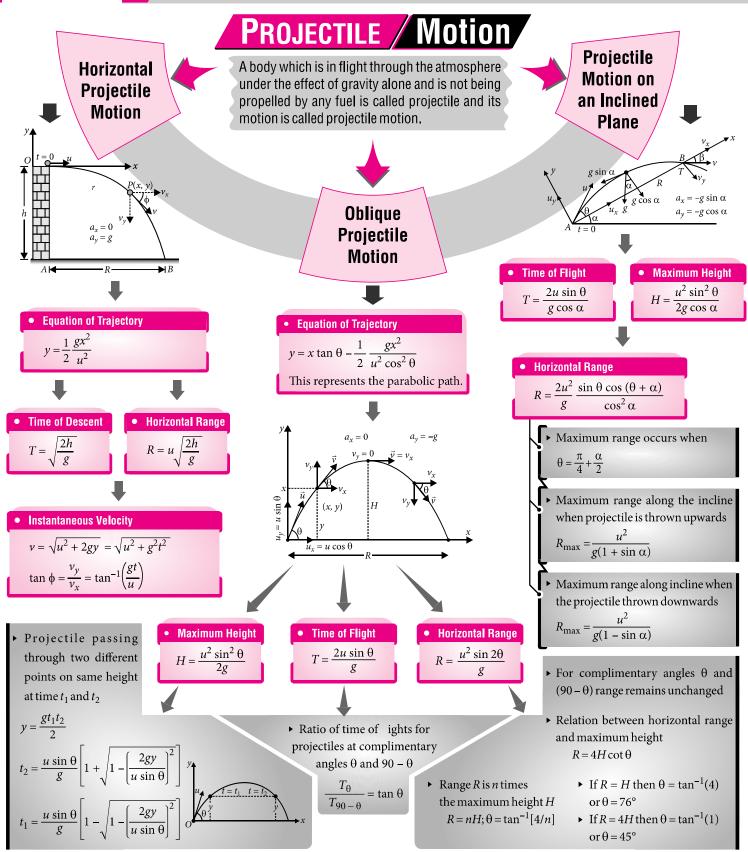




### MASTERJEE CLASSES

# BRAIN MAP class XI

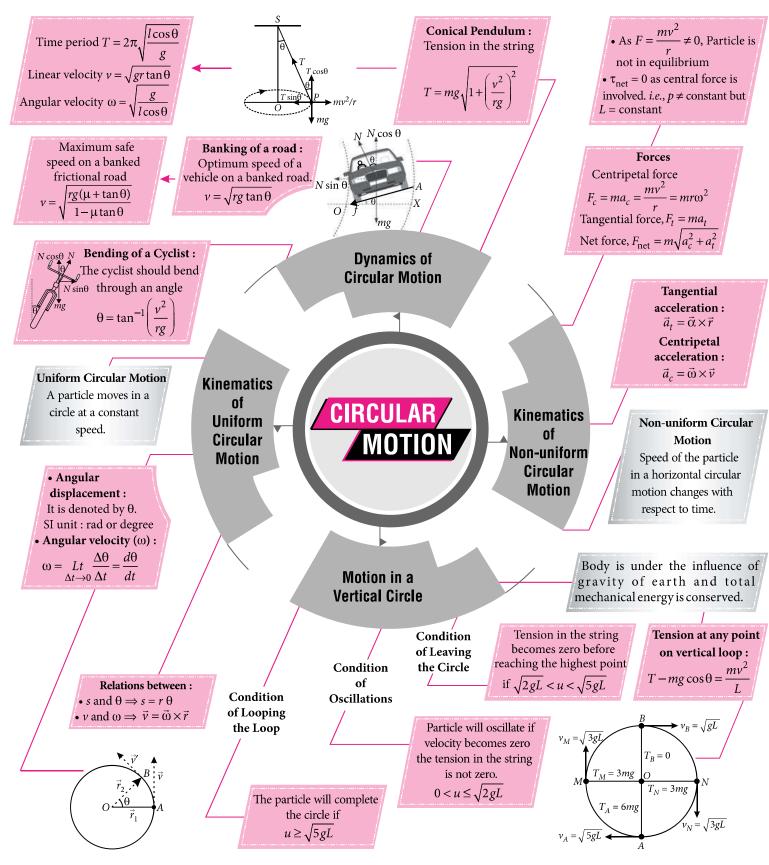
# **PROJECTILE MOTION**



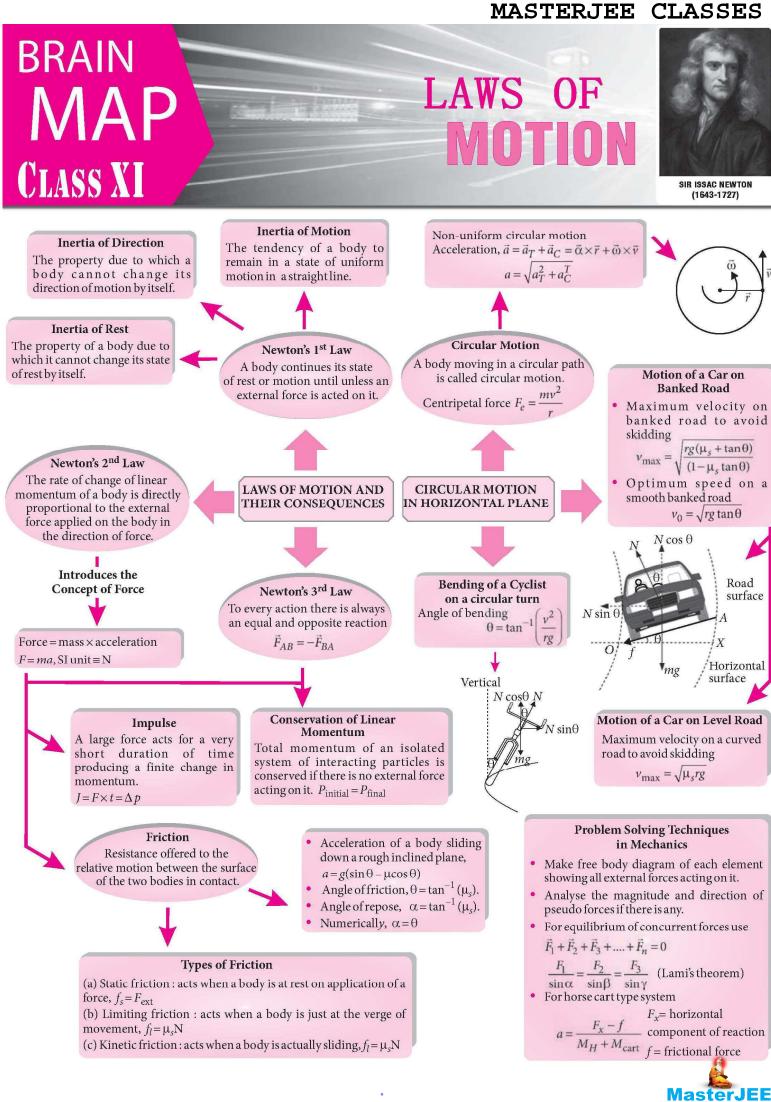


# BRAIN MAP class XI

# **CIRCULAR MOTION**

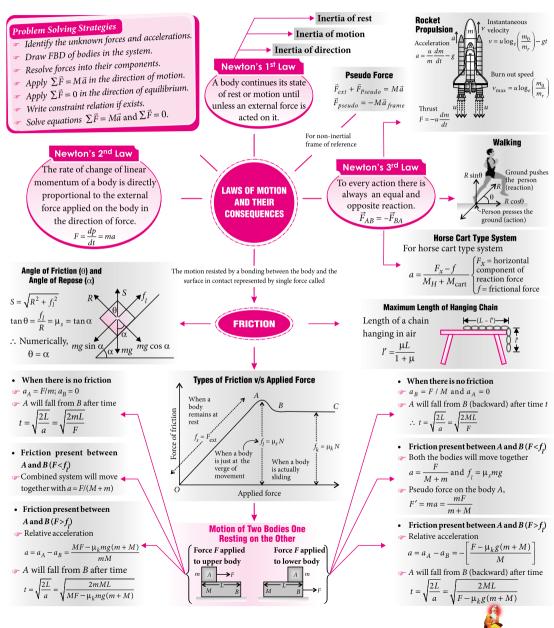






### BRAIN MAP class xi

### MASTERJEE CLASSES NEWTON'S LAWS OF MOTION



sterJEE

# BRAIN MAP CLASS XI

# WORK, ENERGY AND POWER

### WORK

Work is said to be done whenever a force acts on a body and the body moves through some distance.

 $W = \vec{F} \cdot \vec{S} = FS\cos\theta$  (where  $\theta$  is the angle between force applied  $\vec{F}$  and displacement vector  $\vec{S}$ .)

The SI unit of work is joule (J).

### **Nature of Work Done**

If  $\theta = 0^\circ$ , W = FS *i.e.*, work done is maximum. If  $\theta = 90^\circ$ , W = 0 *i.e.*, work done is zero.

### Work Done by a Variable Force

The work done by a variable force in changing the displacement from  $S_1$  to  $S_2$  is  $W = \int_{S_1}^{S_2} \vec{F} \cdot d\vec{S}$  = Area under the force-displacement graph

### **ENERGY**

It is defined as the ability of a body to do work. It is measured by the amount of work that a body can do. The unit of energy used at the atomic level is electron volt (eV) and SI unit is J.

### **Kinetic Energy**

It is the energy possessed by a body by virtue of its motion. The K.E. of a body of mass *m* moving with speed *v* is

# $K = \frac{1}{2}mv^2 = \frac{p^2}{2m}$

### **Potential Energy**

It is the energy possessed by a body by virtue of its position (in a field) or configuration (shape or size). For a conservative force in one dimension, the potential energy function U(x) may be defined as

$$F(x) = -\frac{dU(x)}{dx} \text{ or } \Delta U = U_f - U_i = -\int_{x_i}^{x_f} F(x) dx$$

### Power

The rate of doing work is called power.

### Average Power:

It is defined as the ratio of the small amount of work done W to the time taken t to perform the work.

 $P = \frac{W}{t}$ 

The SI unit of power is watt (W).

### Head-on Collision or One-Dimensional Collision

It is a collision in which the colliding bodies move along the same straight line path before and after the collision.

$$\underbrace{\bigcirc}_{\text{Before collision}}^{m_1} u_1 \underbrace{\bigcirc}_{\text{After collision}}^{m_2} u_2 \underbrace{\bigcirc}_{\text{After collision}}^{m_1} v_2$$

Velocity of approach = Velocity of separation or  $u_1 - u_2 = v_2 - v_1$ 

Also, 
$$v_1 = \frac{m_1 - m_2}{m_1 + m_2} \cdot u_1 + \frac{2m_2}{m_1 + m_2} \cdot u_2$$
 and  
 $v_2 = \frac{2m_1}{m_1 + m_2} \cdot u_1 + \frac{m_2 - m_1}{m_1 + m_2} \cdot u_2$ 

### Work Energy Theorem

The work done by the net force acting on a body is equal to the change in kinetic energy of the body. W = Change in kinetic energy

$$=\frac{1}{2}mv^2 - \frac{1}{2}mu^2 \Longrightarrow W = \Delta K.E.$$

The work energy theorem may be regarded as the scalar form of Newton's second law of motion.

### **Potential Energy of a Spring**

According to Hooke's law, when a spring is stretched through a distance x, the restoring force F is such that

 $F \propto x$  (where k is the spring constant or F = -kx and its unit is N m<sup>-1</sup>.) The work done is stored as potential energy U of the spring

$$W = \int_{0}^{x} kx dx = \frac{1}{2} kx^{2} \quad \Rightarrow \quad U = \frac{1}{2} kx^{2}$$

### COLLISION

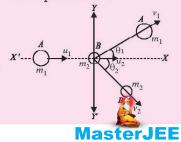
A collision between two bodies is said to occur if either they physically collide against each other or the path of the motion of one body is influenced by the other.

### **Types of Collision**

**Elastic collision :** Both the momentum and kinetic energy of the system remain conserved. **Inelastic collision :** Only the momentum of the system is conserved but kinetic energy is not conserved.

### **Oblique Collision**

If the two bodies do not move along the same straight line path before and after the collision, the collision is said to be oblique collision.



# RAIN CLASS XI

# **WORK AND ENERGY**

### **Pendulum Suspended in an Accelerating Trolley**

• For a pendulum suspended from the ceiling of a trolley moving with acceleration a, the maximum deflection  $\theta$  of the pendulum from the vertical is  $\theta = 2 \tan^{-1} \left( \frac{a}{2} \right)^{-1}$ 



### **Nature of Work Done**

- Positive work  $(0^\circ \le \theta < 90^\circ)$ Component of force is parallel to displacement
- Negative work ( $90^\circ < \theta \le 180^\circ$ ) Component of force is opposite to displacement
- Zero work ( $\theta = 90^\circ$ ) Force is perpendicular to displacement

### **Work Depends on Frame of Reference**

With change of the frame of reference (inertial), force does not change while displacement may change. So the work done by a force will vary in different frames.

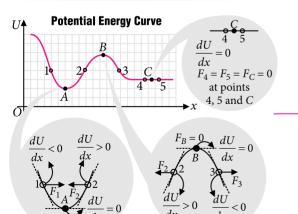
### **Work Done by Friction**

- Work done by static friction is always zero.
- Work done by kinetic friction on the system is always negative.

### Work Done by a Spring Force

• Work done for a displacement from  $x_i$  to  $x_f$ 

$$W_s = -\frac{1}{2}k\left(x_f^2 - x_i^2\right)$$



### **Work Energy Theorem for Non-inertial Frames**

For a block of mass *m* welded with light spring (relaxed) When the wedge fitted moves with an acceleration

a, block slides through

maximum distance *l* relative to wedge,

 $l = \frac{2m}{k} [a(\cos\theta - \mu\sin\theta) - g(\sin\theta + \mu\cos\theta)]$ 

Different cases explained using work energy theorem

### **Work Energy** Theorem

Work done by a force acting on a body is equal to the change in the kinetic energy of the body. It is valid for a system in presence of all types of forces. Work  $W_{\text{total}} = \Delta K$ 

Work done

body.

by a force (F) is

equal to the scalar

 $W = FS \cos \theta$ 

product of the force and the

displacement (S) of the

 $(\theta \text{ is the angle})$  $W = \vec{F} \cdot \vec{S}$  between F and S)

### Energy

The energy of a body is defined as its capacity for doing work. Energy is a scalar quantity.

Unit and dimensions for both energy and work are same Dimensions : [ML<sup>2</sup>T<sup>-2</sup>]

S.I. Unit : joule (J)

### **Potential Energy**

It is the ability of doing work by a conservative force. It arises from the configuration of the system or position of the particles in the system.

### **Relation between Conservative Force and Potential Energy**

Negative gradient of the potential energy gives force.

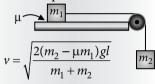
$$F = -\frac{dU}{dr}$$

### Work Done in Pulling the Chain



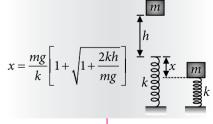
### Motion of Blocks **Connected with Pulley**

• Two blocks connected by a string, as shown. If they are released from rest. After they have moved a distance *l*, their common speed is



**An Application of** Conservation of Energy

- A block of mass *m*, falling from height h, on a mass less spring of stiffness k.
  - The maximum compression in the spring will be

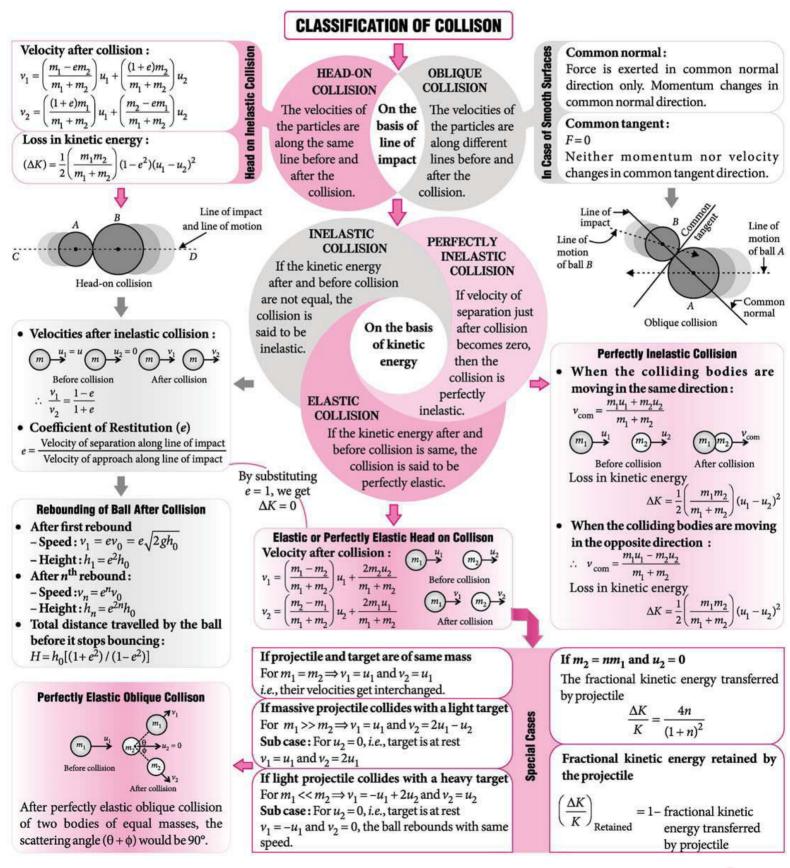


- If block is released slowly (h=0), maximum compression,  $x = \frac{2mg}{r}$
- Work done in bringing the block to stable equilibrium,  $W_{ext} = -\frac{m^2 g^2}{2k}$



# BRAIN MAP class xi

# COLLISION





### BRAIN MAP SYSTEM OF PARTICLES AND ROTATIONAL MOTION

### CLASS XI

### Centre of Mass and Centre of Gravity

- The centre of gravity of a body coincides with its centre of mass only if the gravitational field does not vary from one point of the body to other.
- Mathematically,

$$\overline{R}_{CM} = x_{CM}\hat{i} + y_{CM}\hat{j} + z_{CM}\hat{k}$$

• For discrete body,  $x_{CM} = \frac{1}{M} \sum m_i x_i$ ,

$$y_{CM} = \frac{1}{M} \sum m_i y_i, \ z_{CM} = \frac{1}{M} \sum m_i z_i$$

- For continuous body,  $\vec{R}_{CM} = \frac{1}{M} \int \vec{r} \, dm$
- Centre of mass of symmetric body
  - Semi-circular ring,  $y_{CM} = \frac{2R}{\pi}$
  - Semi-circular disc,  $y_{CM} = \frac{4R}{3\pi}$

### Motion of Centre of Mass

For a system of particles

• Position, 
$$\vec{r}_{CM} = \frac{m_1 \vec{r}_1 + m_2 \vec{r}_2 + \dots}{m_1 + m_2 + \dots}$$

• Velocity, 
$$\vec{v}_{CM} = \frac{m_1 \vec{v}_1 + m_2 \vec{v}_2 + \dots}{m_1 + m_2 + \dots}$$

• Acceleration, 
$$\vec{a}_{CM} = \frac{m_1 \vec{a}_1 + m_2 \vec{a}_2 + \dots}{m_1 + m_2 + \dots}$$

 $\vec{F}_{ext} = 0$ , then  $\vec{v}_{CM} = constant$ .

### **Conservation of Angular Momentum**

 If the net external torque acting on a system is zero, the angular momentum L of the system remains constant, no matter what changes take place within the system.

$$\vec{L} = \text{constant}; I_1 \omega_1 = I_2 \omega_2$$

(for isolated system)

### **Rotational Motion**

 Perpendicular distance of each particle remains constant from a fixed line or point and particle do not move parallel to the line.

Angular displacement,  $\theta = \frac{s}{r}$ Angular velocity,  $\omega = \frac{d\theta}{dt}$ Angular acceleration,  $\alpha = \frac{d\omega}{dt}$ 

- Equations of rotational motion
  - $\omega = \omega_0 + \alpha t$

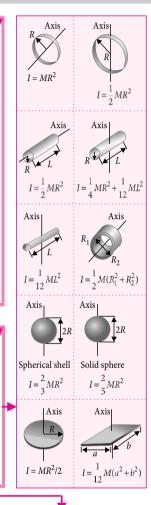
• 
$$\theta = \omega_0 t + \frac{1}{2} \alpha t$$

- $\omega^2 = \omega_0^2 + 2\alpha\theta$
- Torque : Turning effect of the force about the axis of rotation.

   *τ* = *r* × *F*; τ = *rF* sin θ; τ = *l*α
  - Angular momentum,  $\vec{L} = \vec{r} \times \vec{p}$ ;  $L = I\omega$
- Work done by torque,  $W = \tau d\theta$
- Power,  $P = \tau \omega$

### **Moment of Inertia**

- For a rigid body,  $I = \sum_{i=1}^{n} m_i r_i^2$
- Perpendicular axes theorem:  $I_z = I_x + I_y$ (Object is in x-y plane)
- Parallel axes theorem :  $I_{AB} = I_{CM} + Md^2$



### Equilibrium of a Rigid Body

- A rigid body is said to be in mechanical equilibrium, if both of its linear momentum and angular momentum are not changing with time, *i.e.*, total force and total torque are zero.
- Linear momentum does not change implies the condition for the translational equilibrium of the body and angular momentum does not change implies the condition for the rotational equilibrium of the body.

### **Rolling Motion**

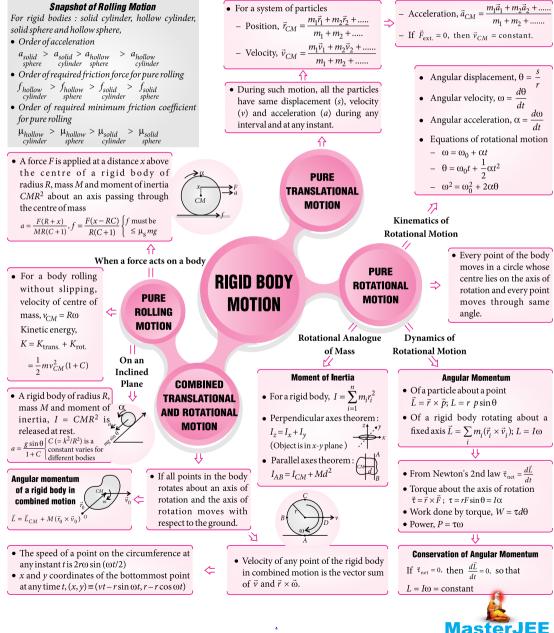
• For a body rolling without slipping, velocity of centre of mass  $v_{CM} = R\omega$ 

Kinetic energy,

$$K = K_{\text{translational}} + K_{\text{rotational}}$$
$$= \frac{1}{2} m v_{CM}^2 \left( 1 + \frac{k^2}{k^2} \right)$$

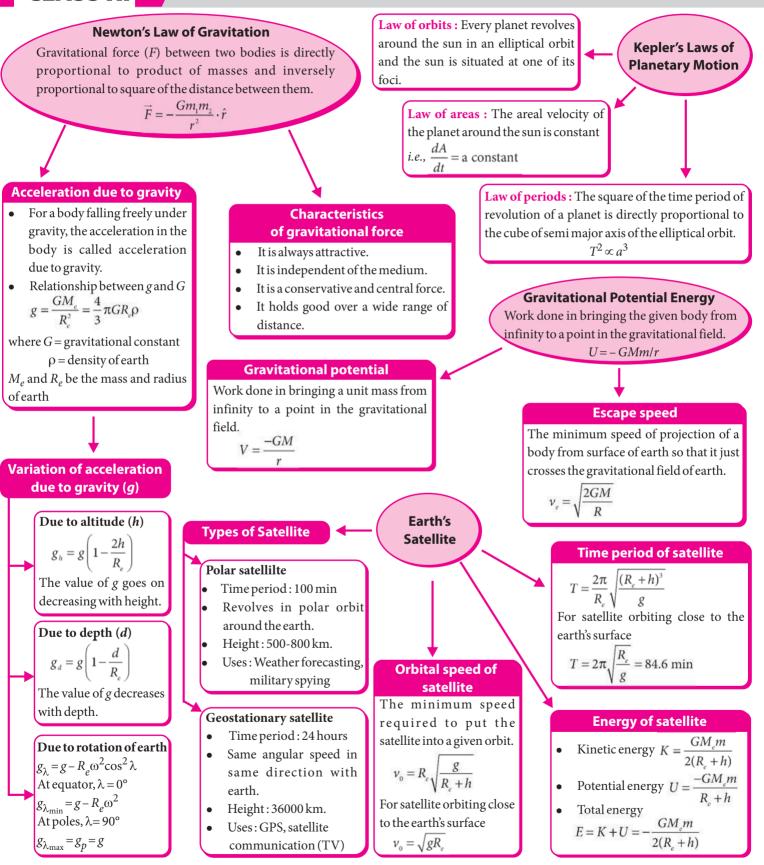
IIT-JEE Medical Foundations

### MASTERJEE CLASSES BRAIN **MOTION OF A RIGID BODY** ЛАР **CLASS XI**



# BRAIN MAP CLASS XI

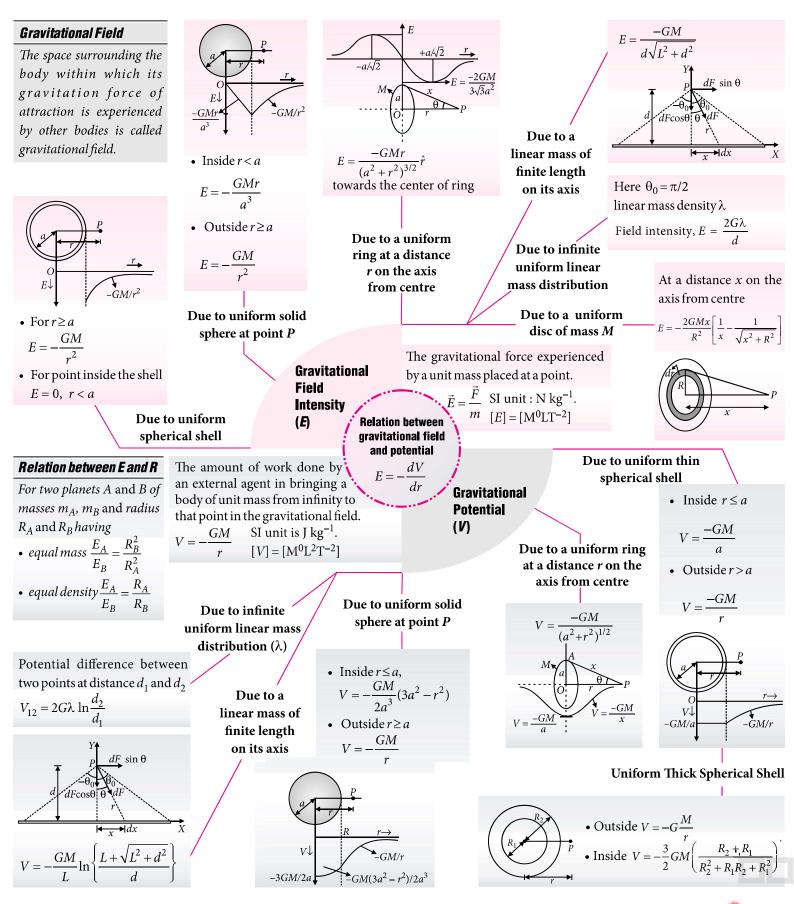
# GRAVITATION





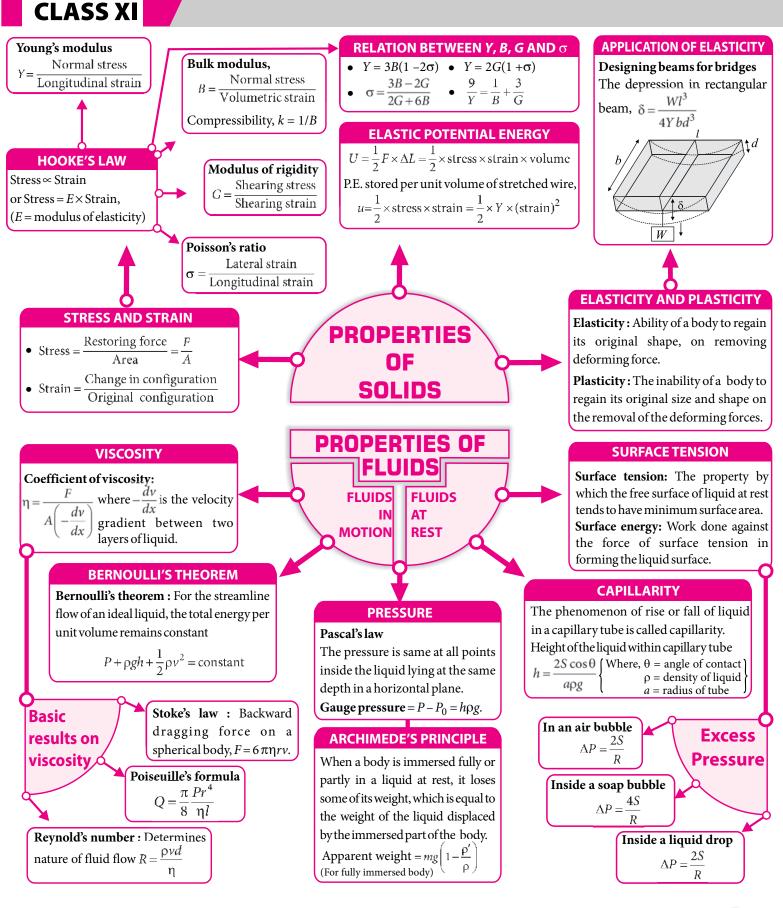
# BRAIN MAP class XI

# **GRAVITATIONAL FIELD AND POTENTIAL**





# BRAIN MECHANICAL PROPERTIES OF SOLIDS AND FLUIDS





# BRAIN MAP class XI

FLUID IN MOTION

• **Streamline flow :** The flow in which path taken by a fluid particle under a steady flow is a streamline in direction of the fluid velocity at that point.

• Laminar flow : The liquid is flowing with a steady flow and moves in the form of layers of different velocities and do not mix with each other, is called laminar flow.

• **Turbulent flow :** The flow in which velocity is greater than its critical velocity and the motion of particles becomes irregular is called turbulent flow.

• **Critical velocity :** The velocity of liquid flow upto which the flow is streamlined and above which it becomes turbulent is called critical velocity.

• In compressible flow, the density of fluid varies from point to point, whereas in incompressible flow, the density of the fluid remains constant throughout. Liquids are generally incompressible while gases are compressible.

• Rotational flow is the flow in which the fluid particles while flowing along path-lines also rotate about their own axis. In irrotational flow, particles do not rotate about their axis.

• The rate of volume of fluid coming out of a narrow tube is

$$\frac{V}{t} = \frac{\pi P r^4}{8\eta l}$$

where P = pressure difference, l = length of tube, r = radius of cross-

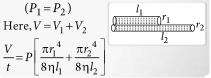
section of the tube.

• Liquid resistance,  $R = \frac{8\eta l}{\pi r^4}$ 

Here,  $P = P_1 + P_2$ 

 $P_1$  and  $P_2$  are the pressure difference across the first and second tubes.

• Parallel combination of tubes  $(P_{1}, -P_{2})$ 



• Reynold's number = 
$$\frac{\text{Inertial force per unit area}}{\text{Viscous force per unit area}}$$

or 
$$N_R = \frac{v \rho d}{\eta}$$

Where v = velocity of liquid,  $\rho =$  density of liquid,

d = diameter of tube,

**Poiseuille's** 

different layers

in a steady flow

is  $F_v = 6\pi\eta rv$ 

►

is called viscosity.

coefficient of viscosity.

Dimensions of  $[\eta] = [ML^{-1}T^{-1}]$ 

Stokes' law: The viscous

drag opposing the motion

Terminal velocity:

where  $\rho = \text{density of sphere}$ ,

 $\sigma$  = density of fluid medium,

r = radius of sphere.

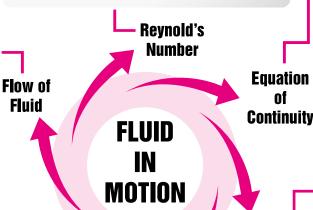
velocity with time (or distance)

The variation of

 $v = (2/9)[r^2(\rho - \sigma)g/\eta]$ 

 $\eta = \text{coefficient} \text{ of viscosity of liquid.}$ 

- On the basis of Reynold's number, we have,
- $0 < N_R < 2000 \rightarrow$  streamline flow.
- $2000 < N_R < 3000 \rightarrow$  streamline to turbulent flow.
- $3000 < N_R \rightarrow$  purely turbulent flow.



**Viscosity** 

The property of fluid due to which it

 $\rightarrow v$ 

r + dr

 $F_B = \frac{4}{3}\pi r^3 \sigma g$ 

 $\pi r^3 \rho g$ 

Time or distance →

 $\int F_{y} = 6\pi\eta rv$ 

 $(\sigma)$ 

opposes the relative motion between its

Tangential force between the layers,

 $F = -\eta A(dv/dr)$ , where  $\eta = a$  constant called

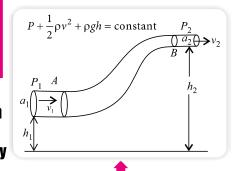
SI unit of  $\eta$  is = N s m<sup>-2</sup> or Poiseuille (Pl),

• According to conservation of mass, mass of liquid entering per second at wider end = mass of liquid leaving per second at narrower end  $a_2$ 

 $a_1 v_1 \rho_1 = a_2 v_2 \rho_2$ 

$$a_1 v_1 = a_2 v_2$$

(If liquid is incompressible,  $\rho_1 = \rho_2 = \rho$ ) or av = constant



• It states that for a steady flow of an incompressible and non-viscous liquid the sum of the pressure (*P*), kinetic energy per unit volume (*K*) and potential energy per unit volume (*U*) remains constant throughout the flow.

• Venturi-meter : It is a device to measure the speed of flow of incompressible fluid.

▶ Volume of the fluid flowing out per second

$$Q = a_1 v_1 = a_1 a_2 \sqrt{\frac{2h\rho_m g}{\rho(a_1^2 - a_2^2)}}$$

$$v_1 = \sqrt{\frac{2h\rho_m g}{\rho} \times \frac{a_2^2}{a_1^2 - a_2^2}}$$

$$Area = a_1 \sqrt{Area = a_2}$$

$$P_1 \rightarrow v_1 P_2 \rightarrow v_2$$

$$I_h$$

$$Liquid of$$

$$density \rho_m$$

### • Torricelli's law:

► If the container is open at the top to the atmosphere then speed of efflux  $v_1 = \sqrt{2gh}$ .

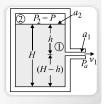
Horizontal range,  $R = v_1 \times t$ 

$$=\sqrt{2gh}\times\sqrt{\frac{2(H-h)}{g}}=2\sqrt{h(H-h)}$$

*R* will be maximum if  $h = \frac{H}{2}$ , *i.e.*,  $R_{\text{max}} = H$ 

► In general as shown in figure, speed of outflow,

$$v_1 = \sqrt{2gh + \frac{2(P - P_a)}{\rho}}$$

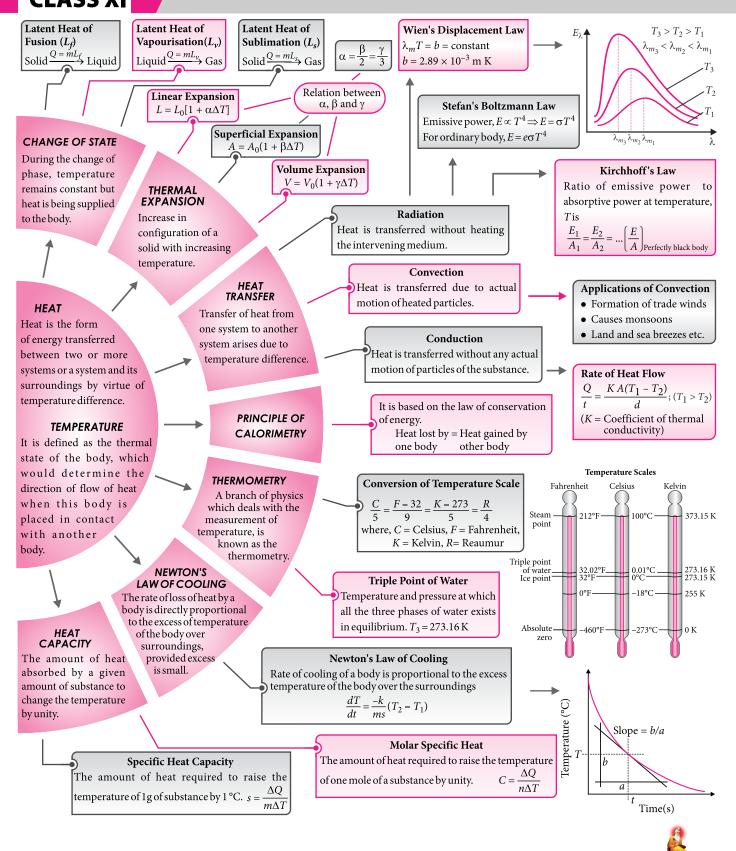




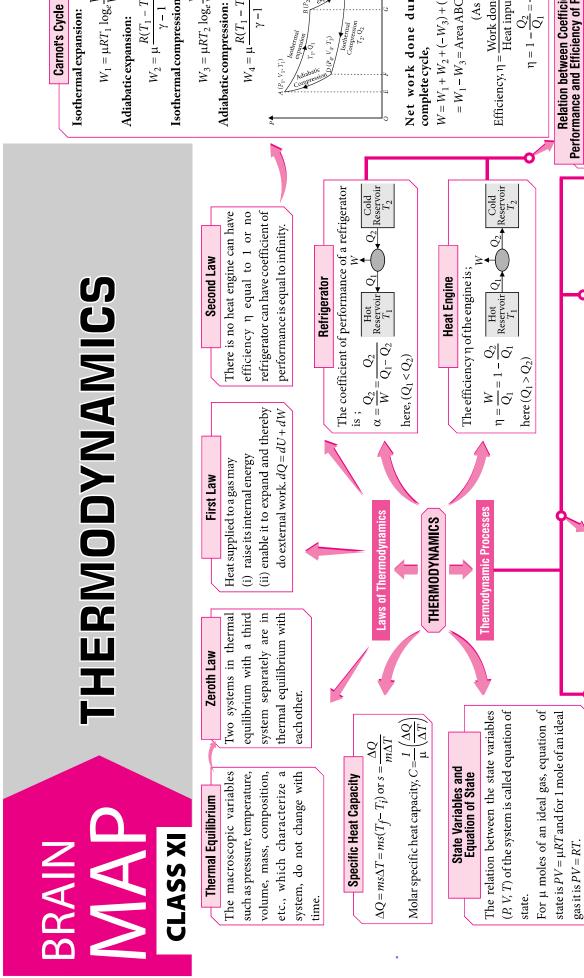
Velocity-

Bernoulli's Principle

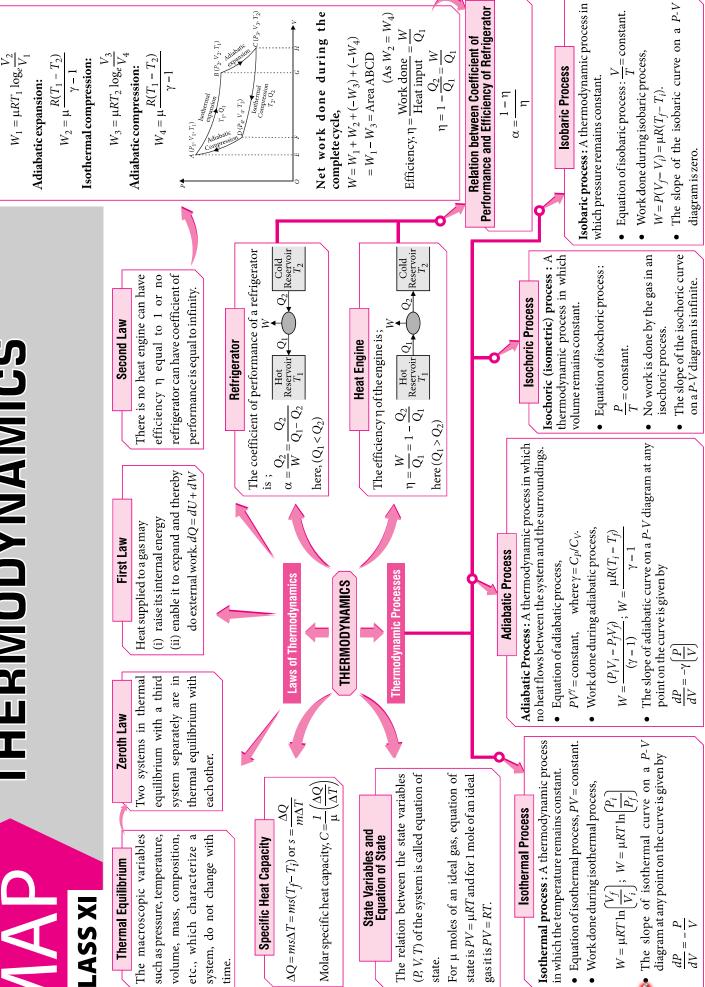
### BRAIN MASTERJEE CLASSES THERMAL PROPERTIES OF MATTER

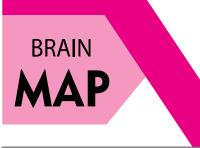


MasterJEE



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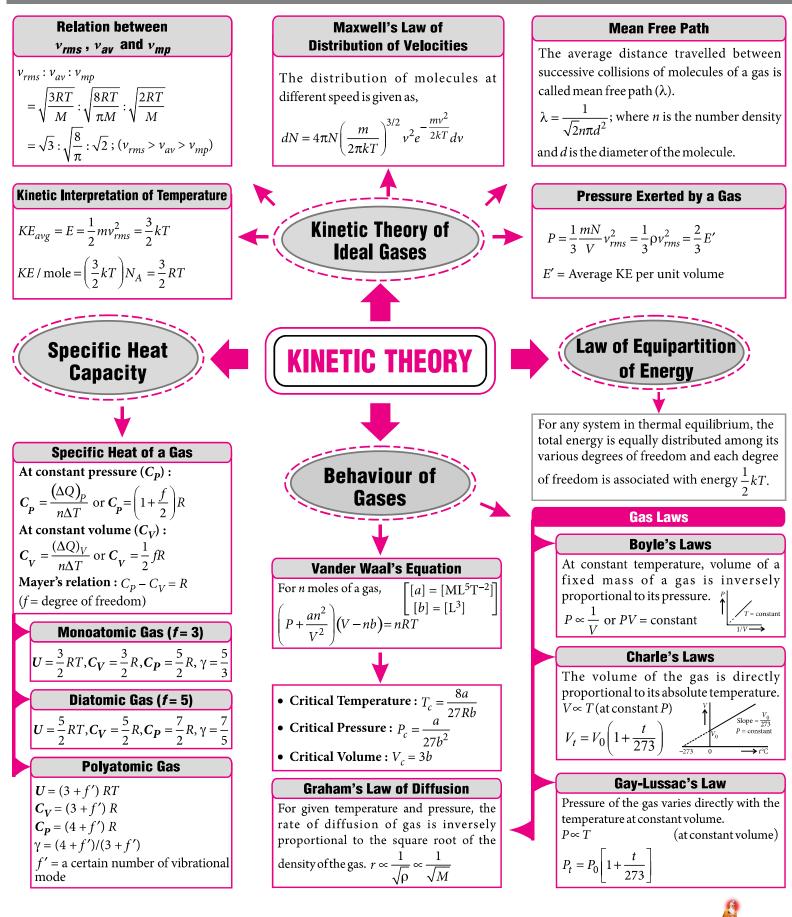


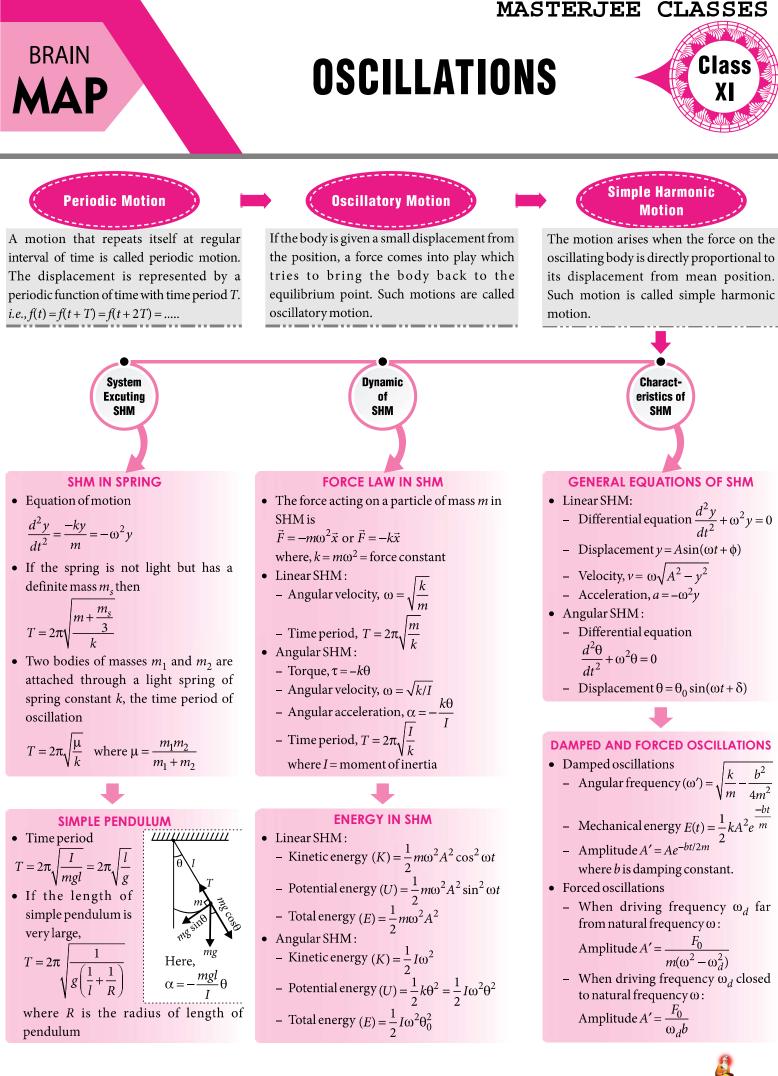


# **KINETIC THEORY**



Mast







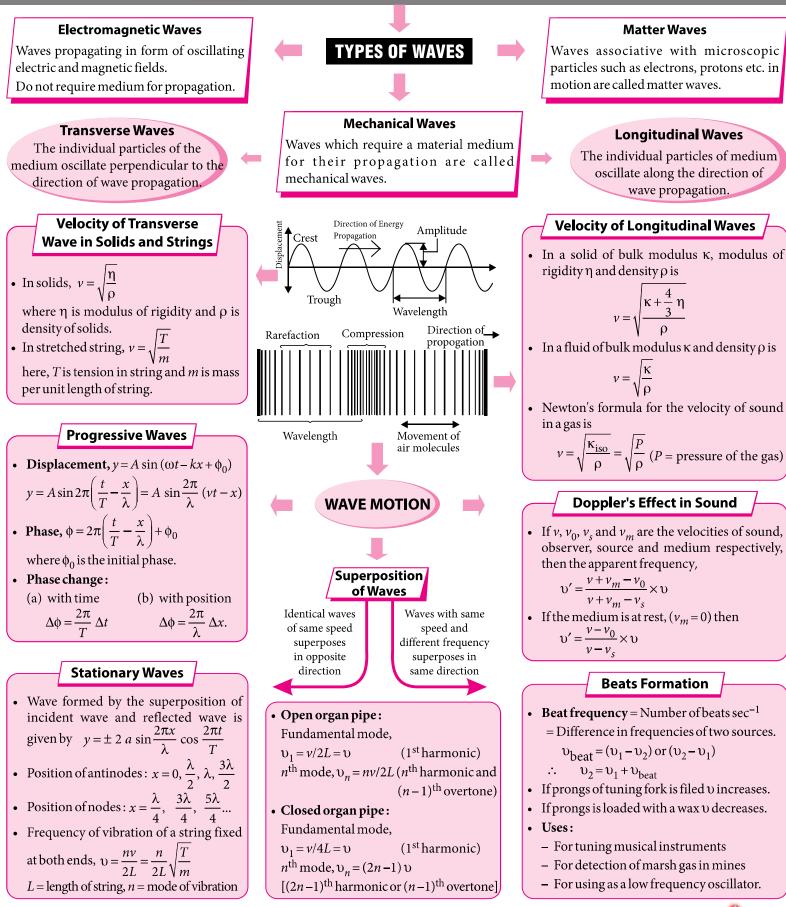
### **BRAIN**

ΔΡ

### MASTERJEE CLASSES









CLASSES MASTERJEE

linear charge density,  $\lambda = \frac{q}{2}$ 

surface charge density,  $\sigma = \frac{q}{2}$ 

Electric field due to an infinitely

long thin uniformly charged

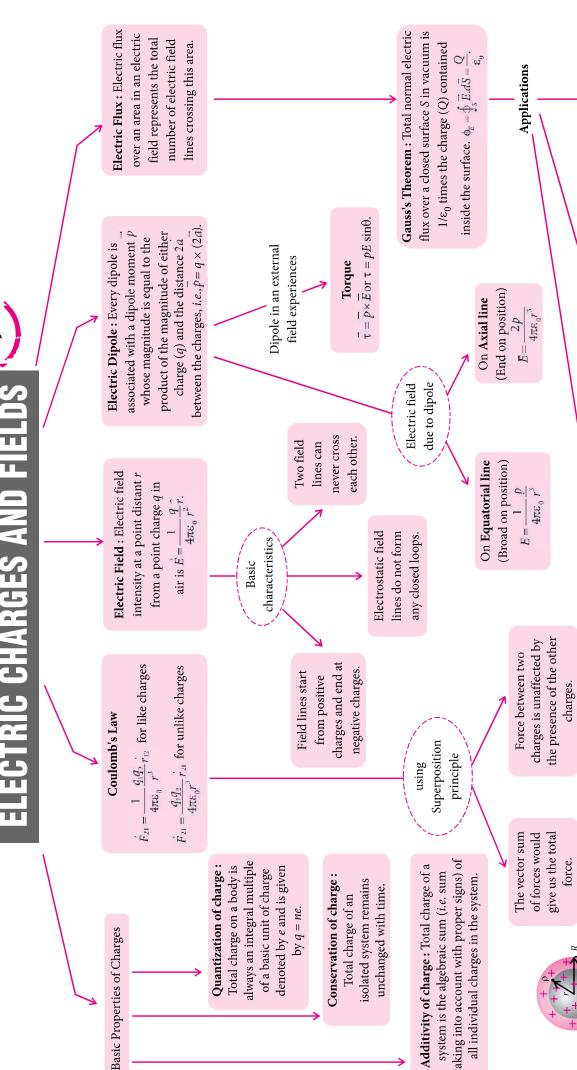
Electric field due to a uniformly charged

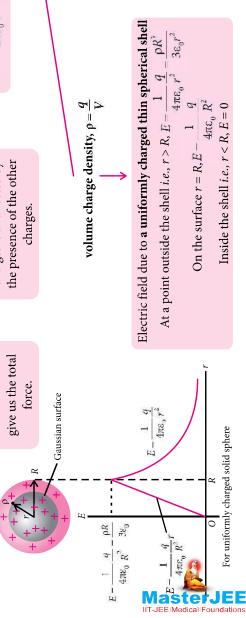
ь.  $2c_{0}$ 

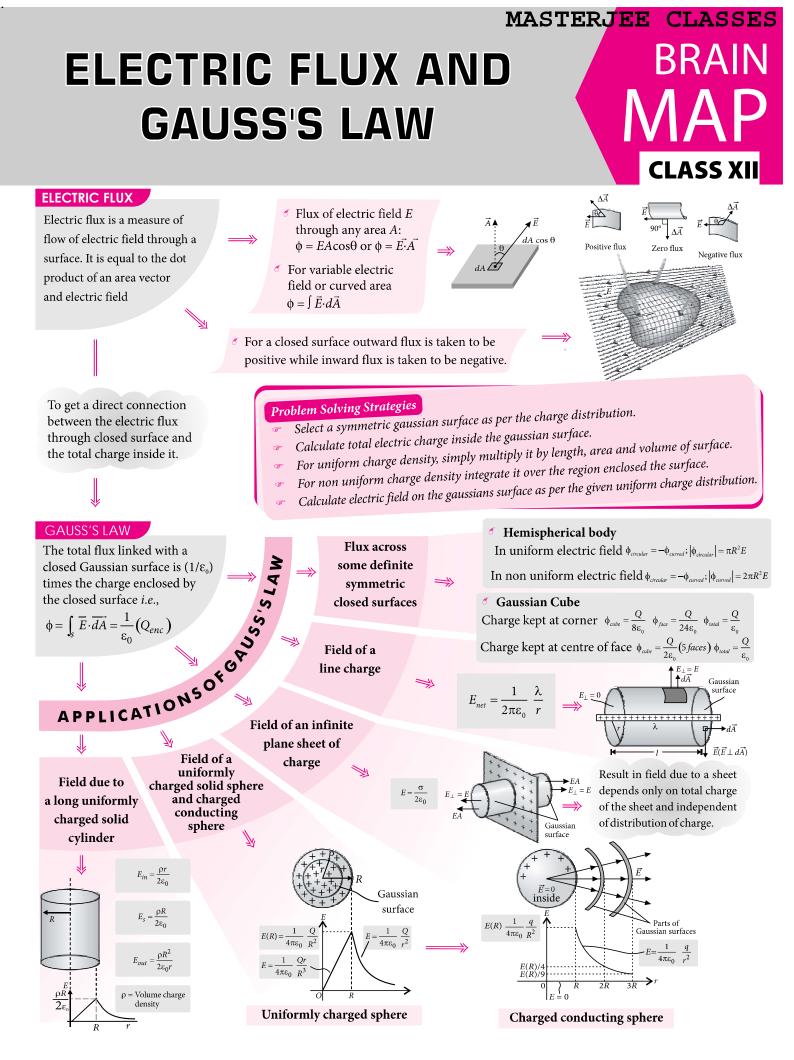
infinite thin plane sheet, E -

 $2\pi \varepsilon_{0}r$ 

straight wire,  $E-\lambda$ 





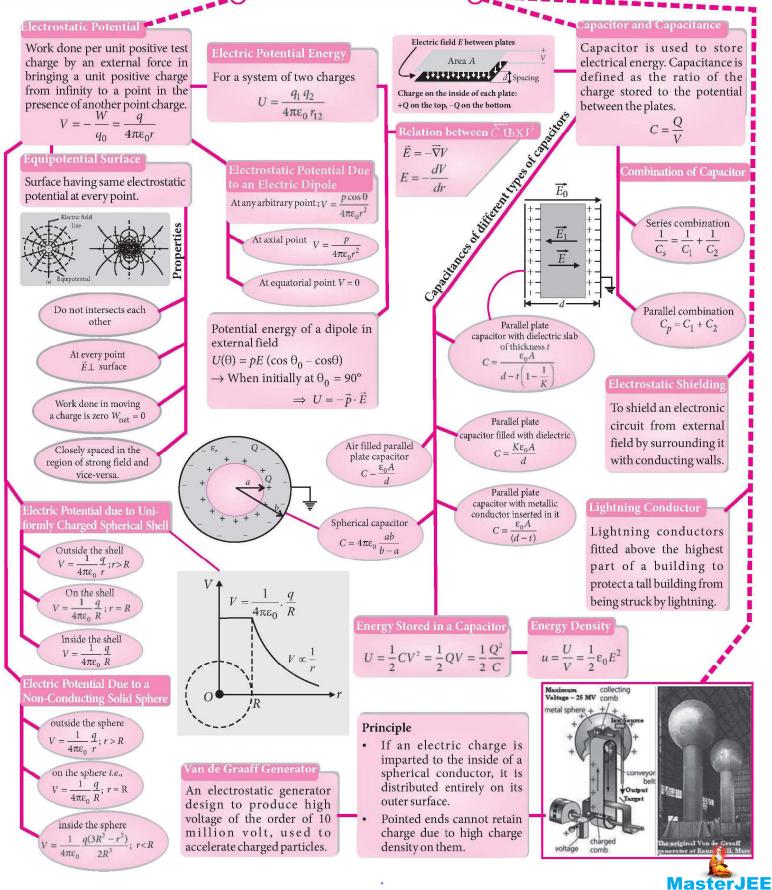




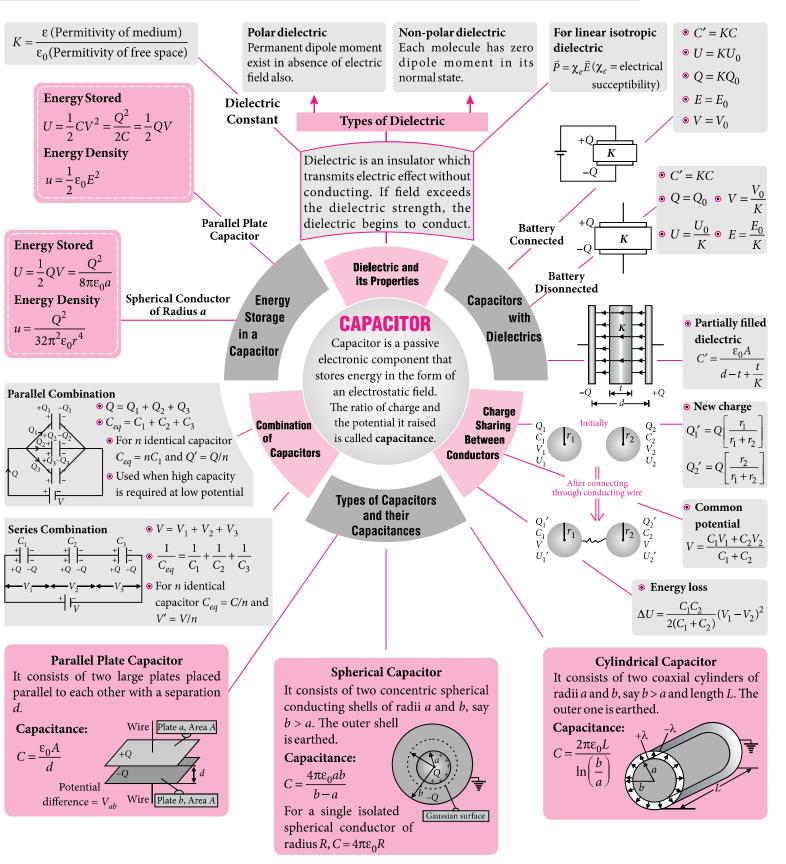
**BRAIN** 

CLASS XI

# ELECTROSTATIC POTENTIAL AND CAPACITANCE



# CAPACITOR AND CAPACITANCE



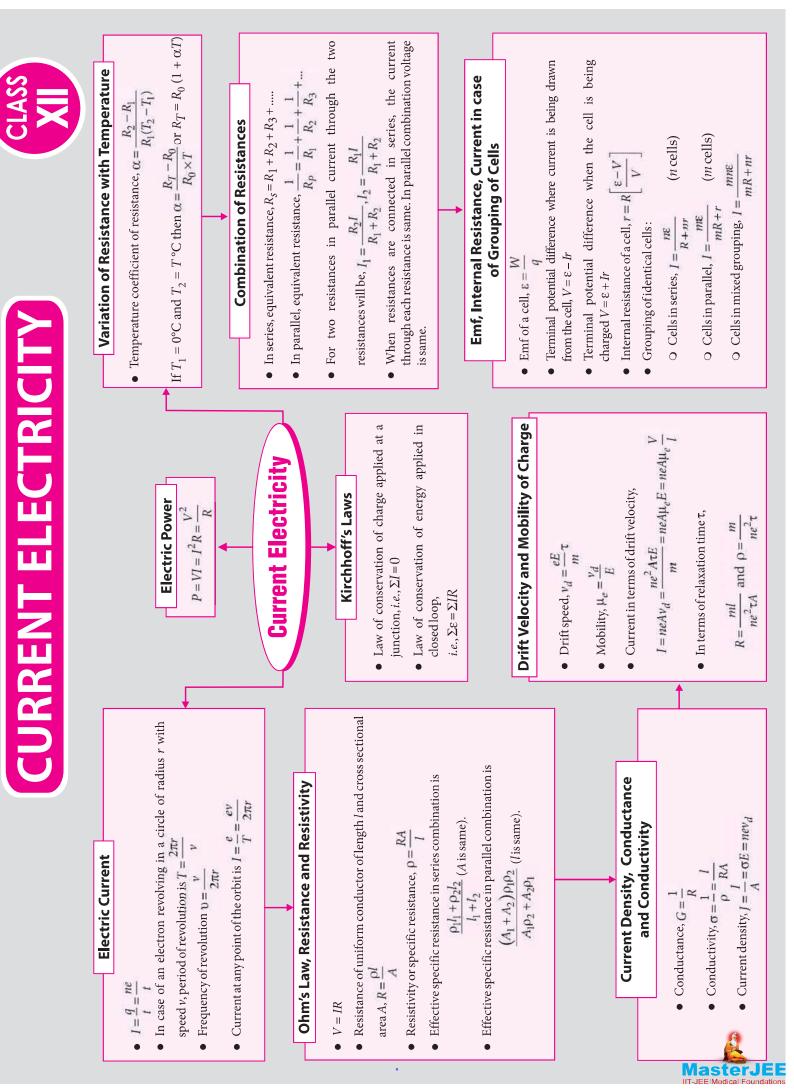
MASTERJEE

CLASSES

BRAIN

**CLASS XII** 



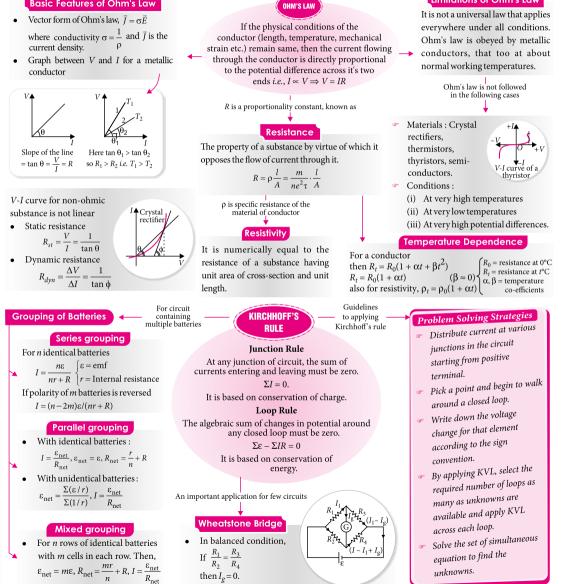


### MASTERJEE **OHM'S LAW AND KIRCHHOFF'S RULE**

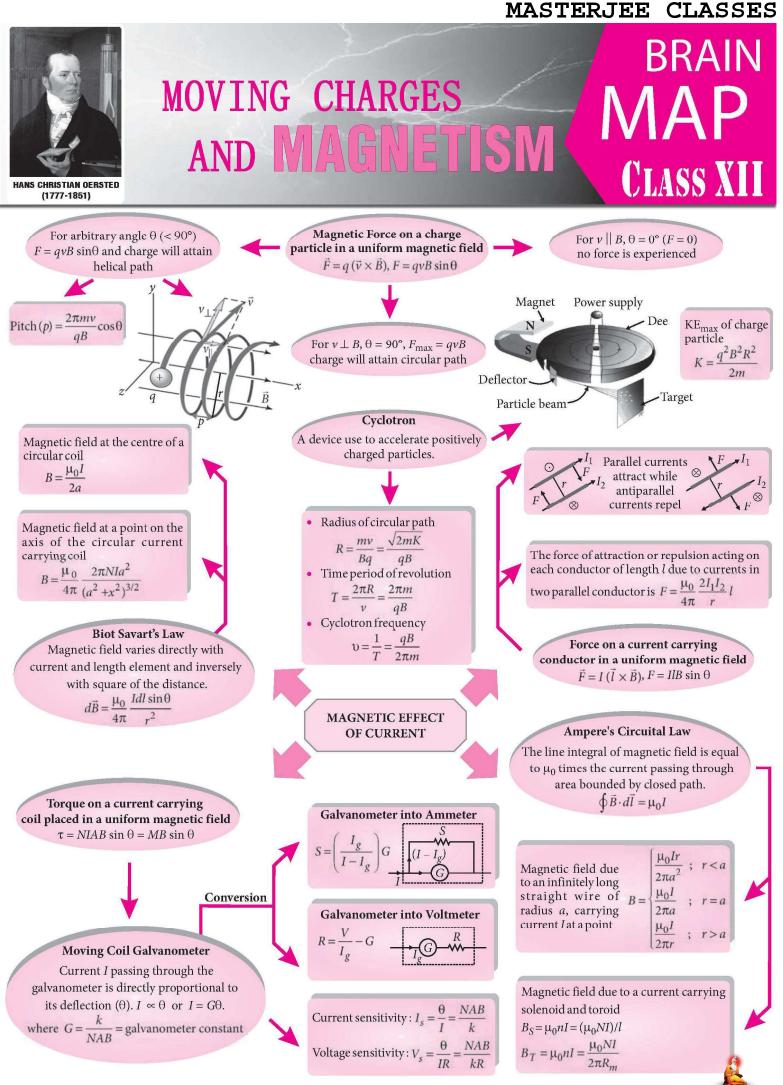
# **CLASS XII**

Limitations of Ohm's Law

### Basic Features of Ohm's Law







### ÷

MasterJEE

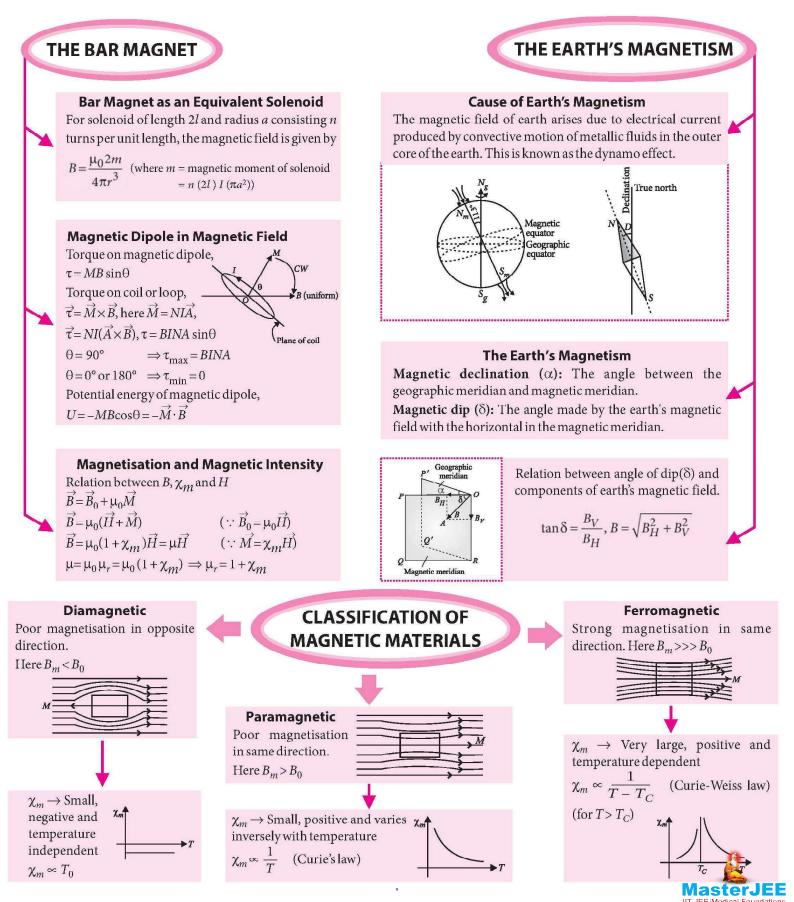
# MAGNETISM AND MATTER

### CLASS XII

MAP

BRAIN

MASTERJEE CLASSES



### MASTERJEE **ELECTROMAGNETIC** INDUCTION

# LASSES MAP

### **CLASS XII**

### **Magnetic Energy**

- · Energy stored in an inductor,  $U_B = \frac{1}{2}LI^2$ • Energy stored in the solenoid,  $U_B = \frac{1}{2\mu_0} B^2 A l$ 
  - Magnetic energy density,  $u_B = \frac{U_B}{V} = \frac{B^2}{2\mu_B}$

### Lenz's Law

- The direction of the induced current is such that it opposes the change that has produced it.
- If a current is induced by an increasing(decreasing) flux, it will weaken (strengthen) the original flux.
- It is a consequence of the law of conservation of energy.

**Energy Consideration** 

in Motional emf Emfin the wire,  $\varepsilon = Bvl$ 

 $F = \frac{B^2 l^2 \nu}{R} \qquad l \qquad \overrightarrow{B} \qquad \overrightarrow{\nu} \qquad \overrightarrow{F}$ 

· Power required to move the

It is dissipated as Joule's heat.

wire,  $P = \frac{B^2 l^2 v^2}{v^2}$ 

Induced current, *I* =

Force exerted on the wire,

Bvl

### Combination of Inductors

- Inductors in series,  $L_S = L_1 + L_2 \pm 2M$
- Inductors in parallel,  $L_p = \frac{L_1 L_2 M^2}{L_1 + L_2 + 2M}$  If coils are far away, then M = 0.
- So,  $L_S = L_1 + L_2$  and  $L_P = \frac{L_1 L_2}{L_1 + L_2}$

### Inductance

- Emf induced in the coil/conductor,  $\varepsilon = -L \frac{dI}{dI}$
- Coefficient of self induction,  $L = \frac{N}{I} \phi_B = \frac{-\varepsilon}{dL/dt}$
- Self inductance of a long solenoid,  $L = \mu_0 \mu_r n^2 A l = \frac{\mu_0 \mu_r N^2 A}{r}$
- Mutual inductance,  $M = \frac{N_2\phi_2}{I_1} = \frac{-\varepsilon_2}{(dI_1/dt)} = \frac{-\varepsilon_1}{(dI_2/dt)}$ 
  - Mutual inductance of two long coaxial solenoids,

$$M = \mu_0 \mu_r \pi r_1^2 n_1 n_2 l = \frac{\mu_0 \mu_r N_1 N_2 A}{l}$$

Coefficient of coupling,  $k = \frac{M}{\sqrt{L_1 L_2}}$ 

For perfect coupling, k = 1 so,  $M = \sqrt{L_1 L_2}$ 

### Magnetic Flux and Faraday's Law

- Magnetic flux  $\phi_B = \overrightarrow{B} \cdot \overrightarrow{A} = BA\cos\theta$
- Faraday's law : Whenever magnetic flux linked with a coil changes, an emf is induced in the coil.
  - Induced emf,  $\varepsilon = -N \frac{d\phi_B}{dt}$

• Induced current, 
$$I = \frac{\varepsilon}{R} = N \frac{(-d\phi_B / dt)}{R}$$

• Induced charge flow, 
$$\Delta Q = I \Delta t = -N \frac{\Delta \phi_B}{p}$$

### **Motional emf**

- On a straight conducting wire,  $\varepsilon = Bvl$
- On a rotating conducting wire about one end,  $\varepsilon = \frac{B\omega l^2}{2}$ •

Here,  $\vec{B}, \vec{v} = \omega r \hat{v}$  and  $\vec{l}$  are perpendicular to each other.

### L-R Circuit

- Current growth in L-Rcircuit  $I = I_0(1 - e^{-t/\tau_L})$
- Current decay in L-R circuit,  $I = I_0 (e^{-t/\tau_L})$ Here,  $\tau_L$  = Time constant =  $\frac{L}{R}$  $I_0 = \frac{\varepsilon}{D}$

### Induced Electric **Field**

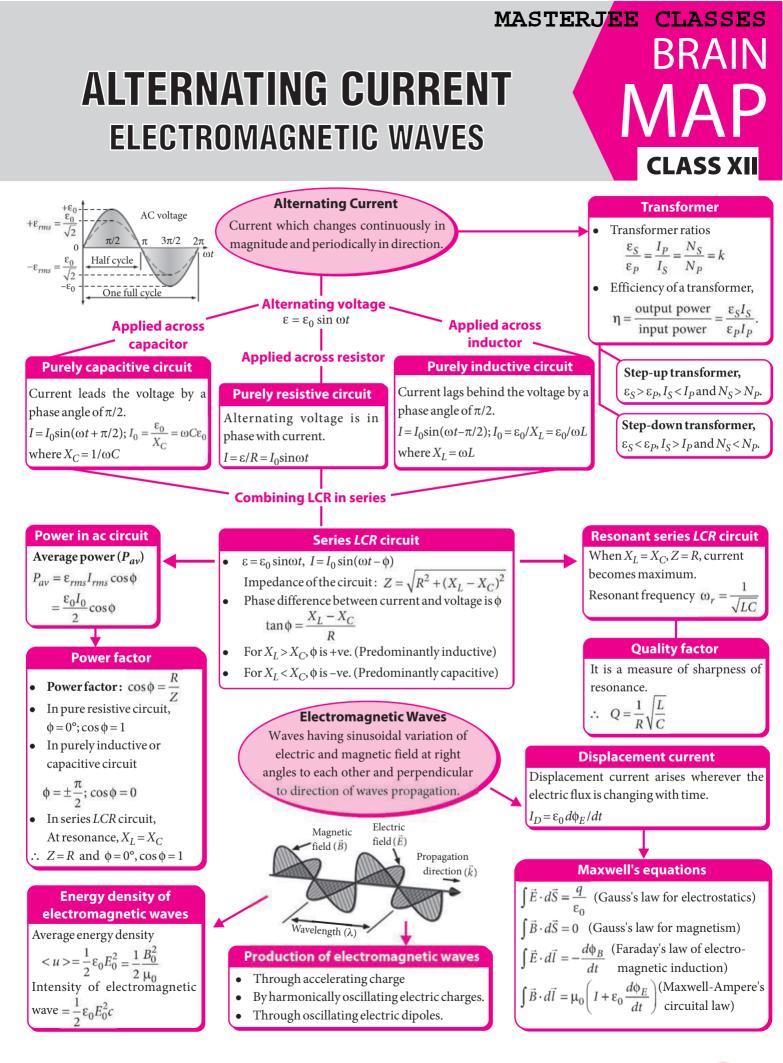
• It is produced by change in magnetic field in a region. This is non-conservative in nature.

$$\oint \vec{E} \cdot d\vec{l} = -\frac{d\phi_B}{dt} = -A\frac{dB}{dt} \neq 0$$

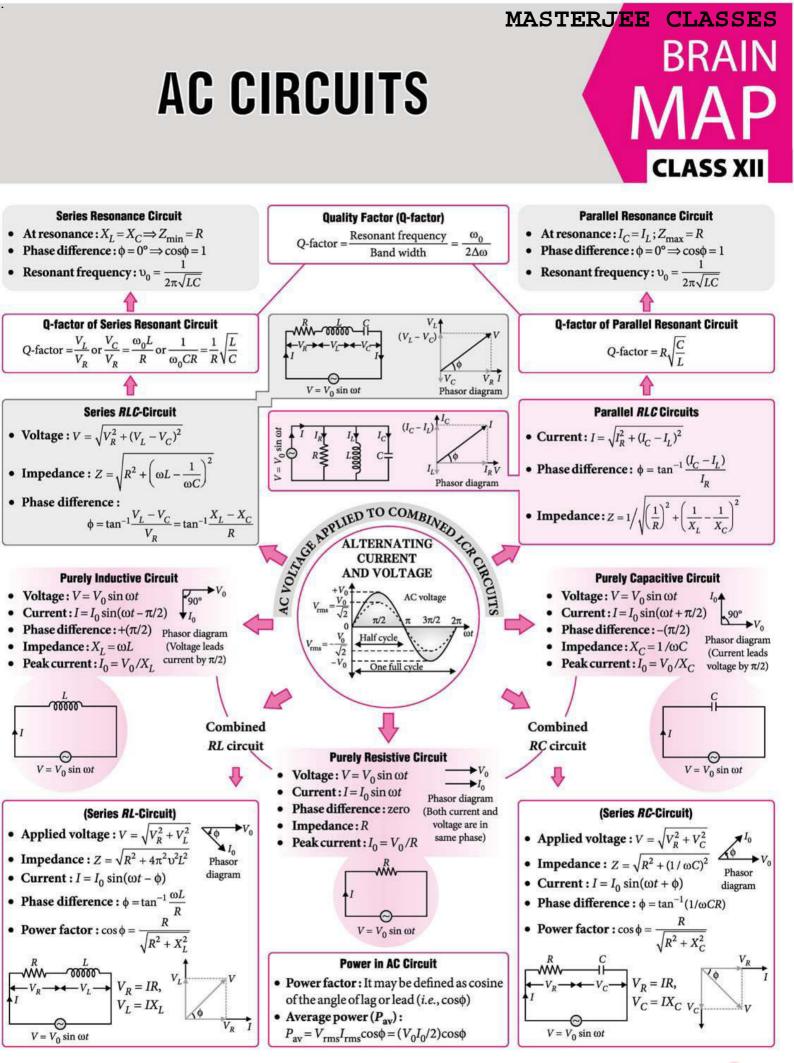
 This is also known as integral form of Faradav's law.

### **Electric Generator**

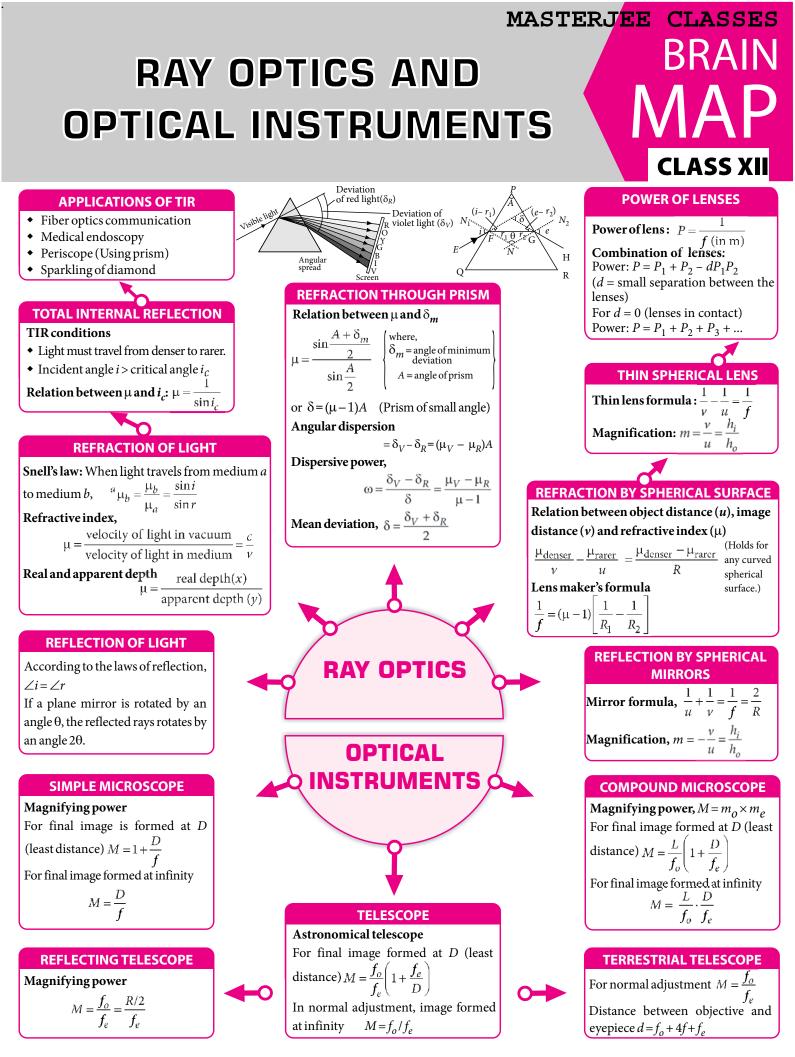
- Mechanical energy is converted into electrical energy by virtue of electromagnetic induction.
- Induced emf.  $\varepsilon = NAB\omega \sin\omega t = \varepsilon_0 \sin\omega t$
- Induced current,  $I = \frac{NBA\omega}{D}\sin\omega \int I_0\sin\omega t$













## **INTERFERENCE OF LIGHT**



**Conditions for Sustained Interference** 1. The two sources of light should be coherent.

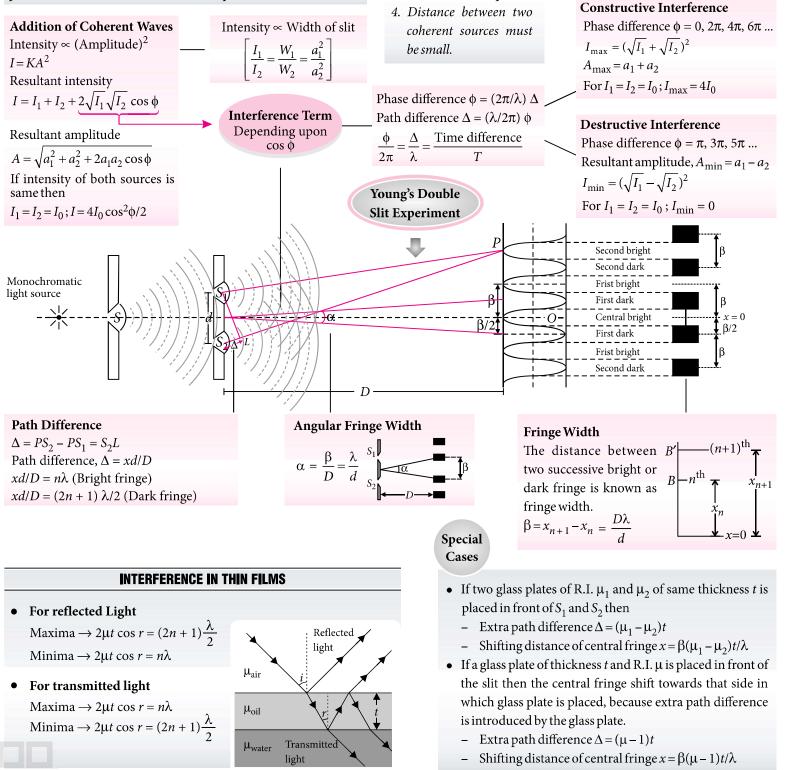
colour will overlap.

2. Interfering waves must be in same state of polarisation.

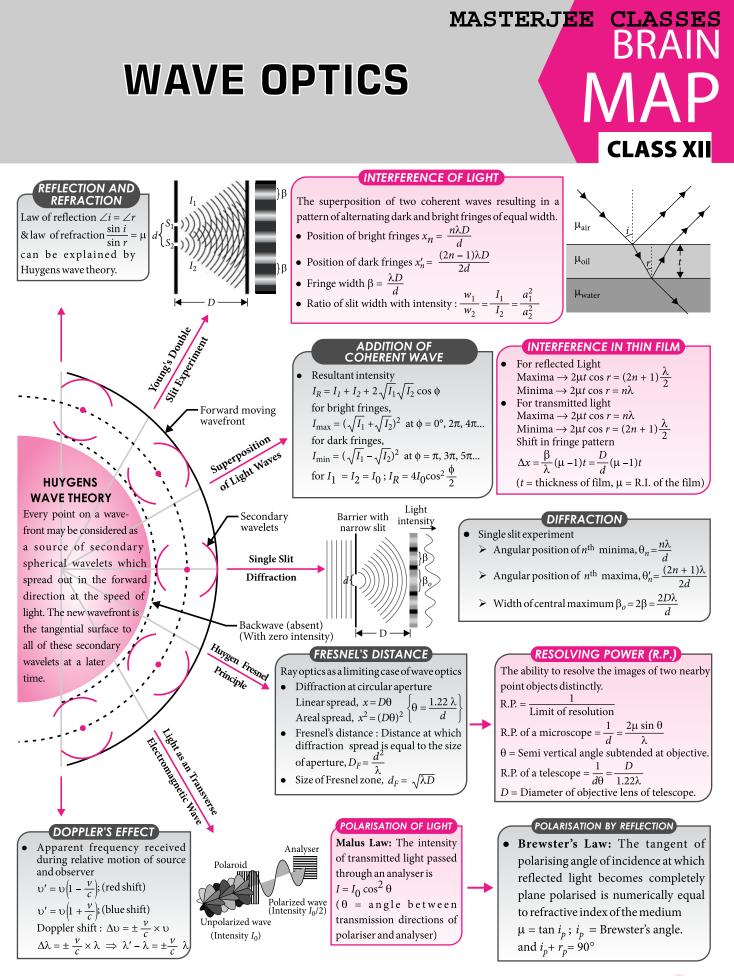
3. Sources should be monochromatic otherwise fringes of different

### Interference of Light

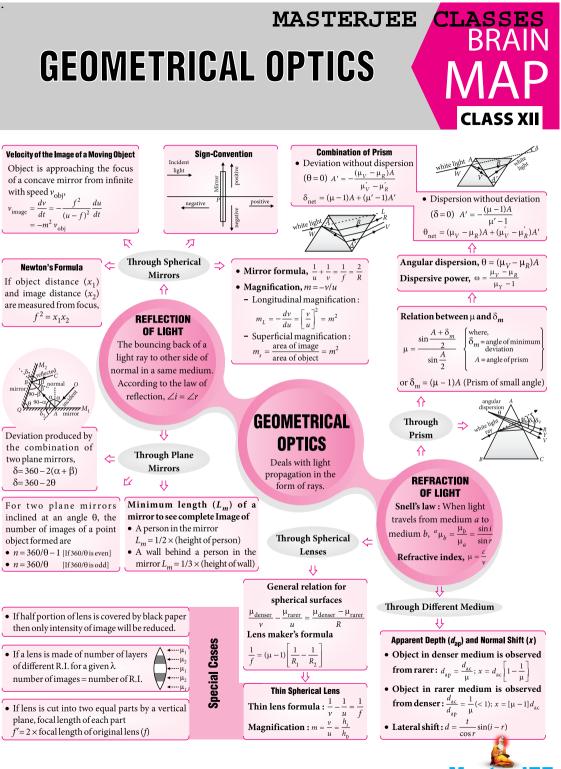
When two light waves having same frequency and to nearly equal amplitude are moving in the same direction, superimpose each other at some point, then intensity of light is maximum at some point and it is minimum at some another point.











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# QUANTUM THEORY OF LIGHT



**Basic Quantum Theory of Light** Radiant Radiant energy Evacuated Emitted energy chamber electrons According to Planck, the energy of a photon,  $E \propto \upsilon$ ;  $E = h\upsilon = \frac{hc}{\lambda} = \frac{1240}{\lambda(\text{in nm})} \text{ eV}$ Momentum of photon,  $p = \frac{E}{c} = \frac{hv}{c} = \frac{h}{\lambda}$ Metal Metal surface If source is 100% efficient, then the number of photons emitted surface per second by the source can be given by Positive Photoelectric Cell  $\frac{Power of source}{Energy of photon} = \frac{P}{E} = \frac{P}{h\upsilon} = \frac{P\lambda}{hc}$ terminal • An electrical device which Current converts light energy into The energy crossing per unit area per unit time perpendicular indicator electrical energy, is called as to the direction of propagation is called the intensity of a wave. I = E/At = P/Aphotocell or photoelectric cell. Force exerted on perfectly reflecting surface • It works on the principle of Incident photon  $p_1 = \frac{h}{\lambda}$  $F = \frac{\Delta p}{t} = \frac{2Nh}{t\lambda} = n\left(\frac{2h}{\lambda}\right) = \frac{2P}{c}$ photoelectric emission of Effect electrons. Reflected photon  $p_2 = \frac{-h}{2}$ Pressure =  $\frac{F}{A} = \frac{2P}{cA} = \frac{2I}{c}$ Application of pho Force exerted on perfectly absorbing surface Incident photon  $p_1 = \frac{h}{\lambda}$ Photoelectric Effect  $F = \frac{\Delta p}{t} = \frac{Nh}{t\lambda} = n\left(\frac{h}{\lambda}\right) = \frac{P}{c}$  The phenomenon of No reflected Pressure =  $\frac{F}{A} = \frac{P}{cA} = \frac{I}{c}$ emission of electrons from a photon Photoelectric Effect  $p_2 = 0$ Electrons ejected from the surface metal surface when an electromagnetic wave of When a beam of light is incident Shows suitable frequency is incident particle nature at an angle  $\theta$  on perfectly reflector PARTICLE on it is called photoelectric surface then force exerted on the of light NATURE OF surface, effect.  $F = \frac{2P}{c}\cos\theta = \frac{2IA\cos\theta}{c}$ Pressure =  $\frac{2I\cos\theta}{c}$ RADIATION **Photoelectric Equation** •  $E = K_{\max} + \phi_0$ where  $\phi_0$  = work function of metal, Quantum efficiency = **Conclusions of Experimental Study of** n<sub>ph</sub> E = energy of incident light,**Photoelectric Effect**  $n_{e}$  = number of electron emitted  $K_{\max} = \max \min \min \operatorname{kinetic} \operatorname{energy} \operatorname{of} \operatorname{electrons}$ Photo-current is directly proportional to the per second •  $\frac{1}{2}mv_{\text{max}}^2 = h(\upsilon - \upsilon_0) = hc\left(\frac{1}{\lambda} - \frac{1}{\lambda_0}\right)$ intensity of incident light, *i.e.*,  $i_p \propto I$ .  $n_{ph}$  = total number of photon (At constant frequency  $\upsilon$  and potential V) incident per second where,  $\lambda_0 = \frac{hc}{\phi_0}$  = threshold wavelength • At constant frequency and intensity, the minimum negative potential at which the photocurrent becomes zero is called stopping v = constantpotential ( $V_0$ ). Photocathode At stopping potential  $V_0$ ,  $K_{\text{max}} = eV_0$ Electrons Light • For a given frequency of the incident  $-V_{c}$ radiation, the stopping potential is independent  $\upsilon_3 > \upsilon_2 > \upsilon_1$ Evacuated quartz tube of its intensity. ' V • The stopping potential varies linearly with the frequency of incident radiation but Α saturation current value remains constant for a fixed intensity of incident radiation.

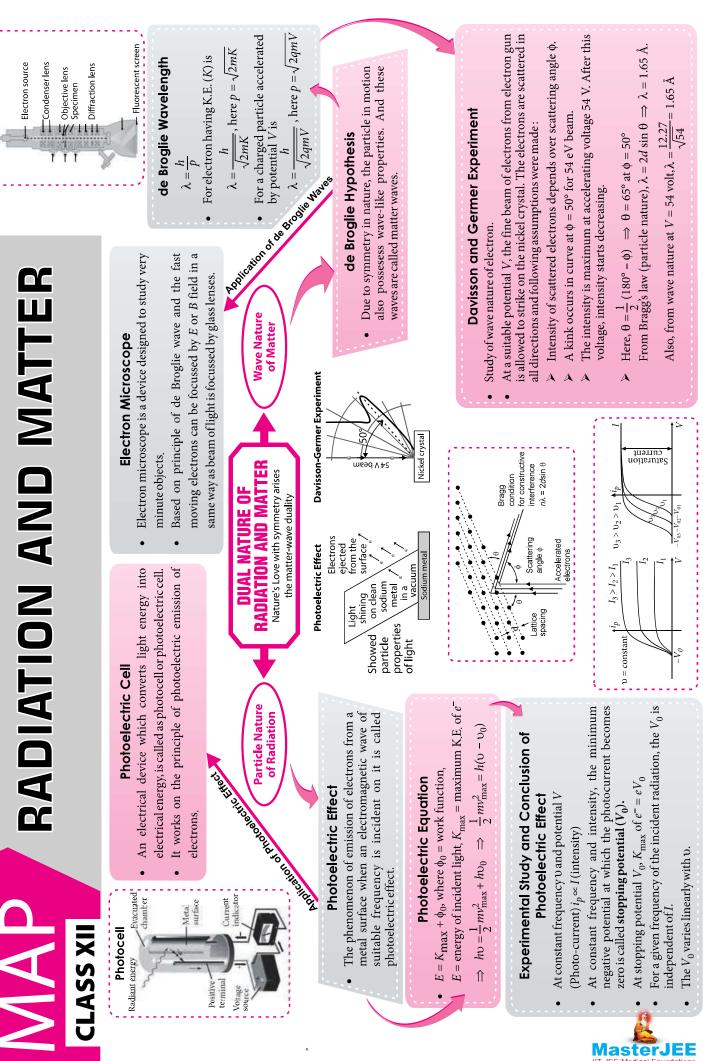




# DUAL NATURE OF

Iransmission electron

microscope

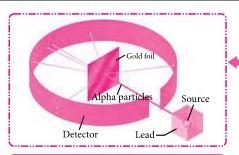


### MASTERJEE CLASSES



# **ATOMS AND NUCLEI**





### Line Spectra of Hydrogen

- While transition between different atomic levels, light radiated in various discrete frequencies are called spectral series of hydrogen atom.
- Rydberg formula :

Wave number 
$$\overline{\upsilon} = \frac{1}{\lambda} = R \left[ \frac{1}{n_f^2} - \frac{1}{n_i^2} \right]$$
  
 $R = \text{Rydberg's constant}$   
 $= 1.097 \times 10^7 \text{ m}^{-1}$ 

### Radioactivity

• Law of radioactive decay  $\frac{dN}{dt} = -\lambda N(t)$  or  $N(t) = N_0 e^{-\lambda t}$ • Half-life  $T_{1/2} = \frac{\ln 2}{\lambda} = \frac{0.693}{\lambda}$ • Mean life or Average life  $\tau = \frac{1}{\lambda} = \frac{T_{1/2}}{0.693} = 1.44 T_{1/2}$ • Fraction of nuclei left undecayed after n half lives is  $\frac{N}{N_0} = \left(\frac{1}{2}\right)^n = \left(\frac{1}{2}\right)^{t/2},$ where  $t = nT_{1/2}$ **Decay Schemes** •  $\alpha$ -Decay :  ${}^{A}_{Z}X \xrightarrow{\alpha-\text{decay}} {}^{A-4}_{Z-2}Y + {}^{4}_{2}\text{He} + Q$ (Energy released) • β-Decay :  ${}^{A}_{Z}X \xrightarrow{\beta^{+}} {}^{A}_{Z-1}Y + {}^{0}_{+1}e + \upsilon$  ${}^{A}_{Z}X \xrightarrow{\beta^{-}} {}^{A}_{Z+1}Y + {}^{0}_{-1}e + \overline{\upsilon}$ •  $\gamma$ -Decay :  $\begin{array}{c} {}^{A}_{Z}X^{*} \xrightarrow{\gamma-\text{decay}} {}^{A}_{Z}X + {}^{0}_{0}\gamma \\ \text{(Excited state)} & \text{(Ground state)} \\ + \text{Energy} \end{array}$ 

Rutherford's Model of Atom

- K.E. of  $\alpha$ -particles,  $K = \frac{1}{2}mv^2$
- Distance of closest approach,  $r = \frac{1}{2Ze^2}$

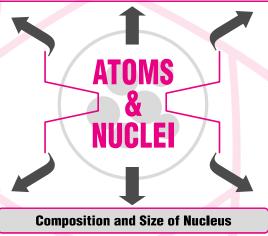
$$r_0 = \frac{1}{4\pi\varepsilon_0} \cdot \frac{2Z\ell}{K} = \frac{1}{4\pi\varepsilon_0} \cdot \frac{4Z\ell}{mv^2}$$

 $17^{2}$ 

Impact parameter,

$$b = \frac{1}{4\pi\varepsilon_0} \cdot \frac{Ze^2 \cot\frac{\theta}{2}}{K} = \frac{1}{4\pi\varepsilon_0} \cdot \frac{Ze^2 \cot\frac{\theta}{2}}{\frac{1}{2}mv^2}$$

- **Conclusion :** An atom consists of a small and massive central core in which entire positive charge and whole mass of atom is concentrated.
- **Drawback** : The revolving electron continuously loses its energy due to centripetal acceleration and finally it should collapse into the nucleus.



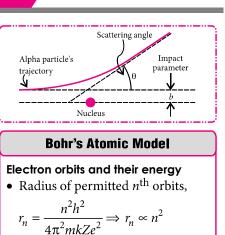
- Nucleus of an atom consists of protons and neutrons collectively called nucleons.
- Radius of a nucleus is proportional to its mass
- number as  $R = R_0 A^{(1/3)}$ .  $(R_0 = 1.2 \text{ fm})$

### **Concept of Binding Energy**

• The binding energy is defined as the surplus energy which the nucleons give up by virtue of their attractions when they bound together to form a nucleus.

 $\Delta E_b = [Zm_p + (A - Z)m_n - M_N]c^2$ 

• Binding energy per nucleon :  $\therefore E_{bn} = \frac{E_b}{A}$ 



• Velocity of electron in *n*<sup>th</sup> orbit,

$$v_n = \frac{2\pi kZe^2}{nh} \Longrightarrow v_n \propto \frac{1}{n}$$

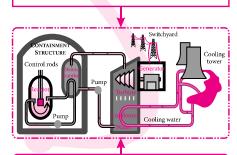
• Energy of electron in 
$$n^{\text{th}}$$
 orbit

$$E_n = \frac{-2\pi^2 m k^2 Z^2 e^4}{n^2 h^2} \Longrightarrow E_n \propto \frac{1}{n^2}$$

where the symbols have their usual meanings.

### **Nuclear Reactions**

- Nuclear fission : It is the phenomenon of splitting a heavy nucleus into two or more smaller nuclei of nearly comparable masses.
- Nuclear fusion : It is the phenomenon of fusing two or more lighter nuclei to form a single heavy nucleus.



### **Application of Nuclear Reactions**

### A. Fission

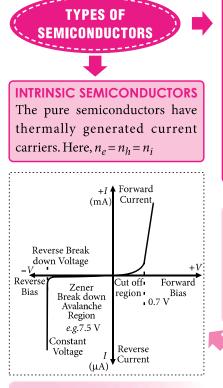
- Uncontrolled chain reaction: Principle of atomic bombs.
- Controlled chain reaction: Principle of nuclear reactors.
- **B. Fusion** 
  - Nuclear fusion is the source of energy in the Sun and stars.





# SEMICONDUCTOR ELECTRONICS





### **APPLICATIONS OF DIODE**

- Diode as a rectifier
  - Half wave rectifier
  - Full wave rectifier
- Zener diode as a voltage regulator.
- Photo diode for detecting light signals.
- LED: light emitting diode.
- Solar cells: Generates emf from solar radiations.

### EXTRINSIC SEMICONDUCTORS

The semiconductor whose conductivity is mainly due to doping of impurity.

- *p*-type semiconductor
- Doped with trivalent atom.
- Here,  $n_h >> n_e$
- *n*-type semiconductor
- Doped with pentavalent atom.

• Here,  $n_e >> n_h$ 

### SEMICONDUCTOR DIODE

**p-n junction diode** : A p-type semiconductor is brought into contact with an *n*-type semiconductor such that structure remains continuous at boundary.

### **BIASING CHARACTERSTICS** Forward bias characteristic

- Width of depletion layer decreases
- Effective barrier potential decreases
- Low resistance at junction
- High current flow of the order of mA.

### **Reverse bias characteristic**

- Width of depletion layer increases
- Effective barrier potential increases
- High resistance at the junction
- Low current flow of the order of  $\mu A$ .
- Reverse break down occurs at a high reverse bias voltage.

### JUNCTION TRANSISTOR

A semiconductor device possessing fundamental action of transfer resistor.

### Junction transistors are of two types

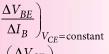
- *n-p-n* transistor: A thin layer of *p*-type semiconductor is sandwiched between two n-type semiconductors.
- *p-n-p* transistor: A thin layer of *n*-type semiconductor is sandwiched between two p-type semiconductors.

### There are three configurations of transistors

- CB (Common Base)
- CE (Common Emitter)
- CC (Common Collector).

### **Transistor characteristics**

• Input resistance  $(r_i)_{(CE)} =$ 



Collector

+Vcc

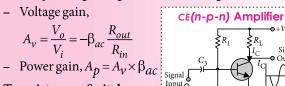
Signal

- Output resistance  $(r_o)_{(CE)} = \left(\frac{\Delta V_{CE}}{\Delta I_C}\right)_{I_B} = \text{constant}$ Turrent amplification

$$\beta_{ac} = \left(\frac{\Delta I_C}{\Delta I_B}\right)_{V_{CD} = \text{constant}} \alpha_{ac} = \left(\frac{\Delta I_C}{\Delta I_E}\right)_{V_{CD} = \text{constant}}$$

### **APPLICATIONS OF TRANSISTOR**

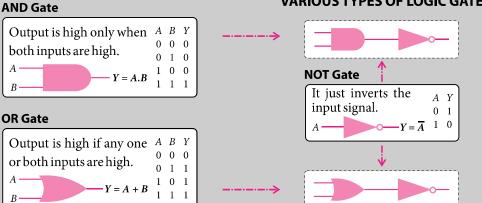
- Transistor as an Amplifier
  - Its operating voltage is fix in active region.



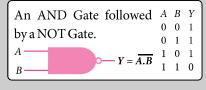
- Transistor as a Switch
- Transistor as an Oscillator

### **DIGITAL ELECTRONICS AND LOGIC GATES**

### **VARIOUS TYPES OF LOGIC GATE**



### NAND Gate



### **NOR Gate**

